

**Department of Mathematics**

**Course Profile**

<b>Course Number : MATH 441</b>	<b>Course Title: Introduction to Modern Algebra</b>
<b>Required / Elective:</b> Required	<b>Prerequisite:</b> None
<b>Catalog Description:</b> Algebra on sets; basic theory of groups, rings and fields, an introduction to Galois theory.	<b>Textbook / Required Material:</b> J. Gilbert and L. Gilbert, <i>Elements of Modern Algebra</i> , sixth Edition, Brooks/Cole, 2005.
<b>Course Structure / Schedule:</b> (3+0+0) 3 / 8 ECTS	
<p><b>Extended Description :</b></p> <p>Fundamentals: Sets, Mappings, Binary Operations, Relations, Mathematical Induction.</p> <p>Integers: Divisibility, Prime Factors, the Greatest Common Divisor, Congruence of Integers and Congruence Classes.</p> <p>Groups: Definition of a Group, Subgroups; Cyclic Groups; Isomorphism; Homomorphism; Permutation Groups; Cayley's Theorem; Normal Subgroups; Finite Groups and Lagrange's Theorem; Quotient Groups.</p> <p>Rings, Integral Domains and Fields: Definition of a Ring Integral Domains and Fields; Ideals and Quotient Rings; Ring Homomorphism.</p> <p>Polynomials: Polynomials over a Ring; Divisibility of Polynomials.</p>	
<b>Design content:</b> None	<b>Computer usage:</b> No particular computer usage required
<p><b>Course Outcomes:</b></p> <p>By the end of the course the students should be able to:</p> <ol style="list-style-type: none"> <li>1. to identify, compare, classify, justify, operate and apply the fundamental algebraic structures [6]</li> <li>2. prepare for high-level mathematical courses [6]</li> <li>3. to argue, create and formulate mathematical arguments and mathematical reasoning [2,3,6]</li> <li>4. recognize the impact of abstract algebra on coding, cryptology and science [7,8]</li> <li>5. recognize professional and ethical responsibilities of scientific writing [8]</li> </ol> <p>[2] demonstrate knowledge of mathematics to construct, analyze and interpret mathematical models,</p> <p>[3] demonstrate the ability to apply mathematics to the solutions of problems,</p> <p>[6] have a basic knowledge of the main fields of mathematics, including analysis, algebra, differential equations, differential geometry,</p> <p>[7] have an ability to function both independently and as a member of a multidisciplinary team,</p> <p>[8] communicate effectively both in written and oral formats,</p>	

<p><b>Recommended reading:</b> I.N. Herstein, <i>Abstract Algebra</i>, Prentice-Hall., 1996.  J.B. Fraleigh, <i>A First Course Abstract Algebra</i>, Addison-Wesley, 2002.</p>	
<p><b>Teaching methods:</b> Pre-readings, lecture and workshops, discussions, project, individual exercises.</p>	
<p><b>Assessment methods:</b> Homework, project, final</p>	
<p><b>Student workload:</b></p> <p style="padding-left: 40px;">Preparatory reading.....40 hrs  Lectures and workshop, discussions....47 hrs  Homework.....70 hrs  Presentations.....15 hrs  Projects.....25 hrs  Final Exam .....3 hrs</p> <p style="padding-left: 40px;"><b>TOTAL ..... 200 hrs ... to match 25 x 8 ECTS</b></p>	
Prepared by : Türker Bıyıkoğlu	Revision Date: 08.02.2010